

A world map with a light blue background and green landmasses. Numerous small, semi-transparent colored dots (red, pink, purple, white) are scattered across the map, representing data points or locations. The dots are most densely clustered in the North Atlantic and North America regions.

# Dynamic Typology

Michael Cysouw – MPI-EVA Leipzig

A world map with a light blue background and green landmasses. Numerous small, semi-transparent colored dots (red, pink, purple, and white) are scattered across the map, primarily concentrated in the European and Asian regions. The dots vary in size and opacity, suggesting a dynamic or multi-layered data visualization.

# Dynamic Typology

- Michael Cysouw – MPI-EVA Leipzig
- Elena Maslova – Stanford University
- Dan Dediu – MPI Nijmegen

# Two different perspectives

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- Static Typology
  - ▶ investigate **attested frequencies** of language **types**

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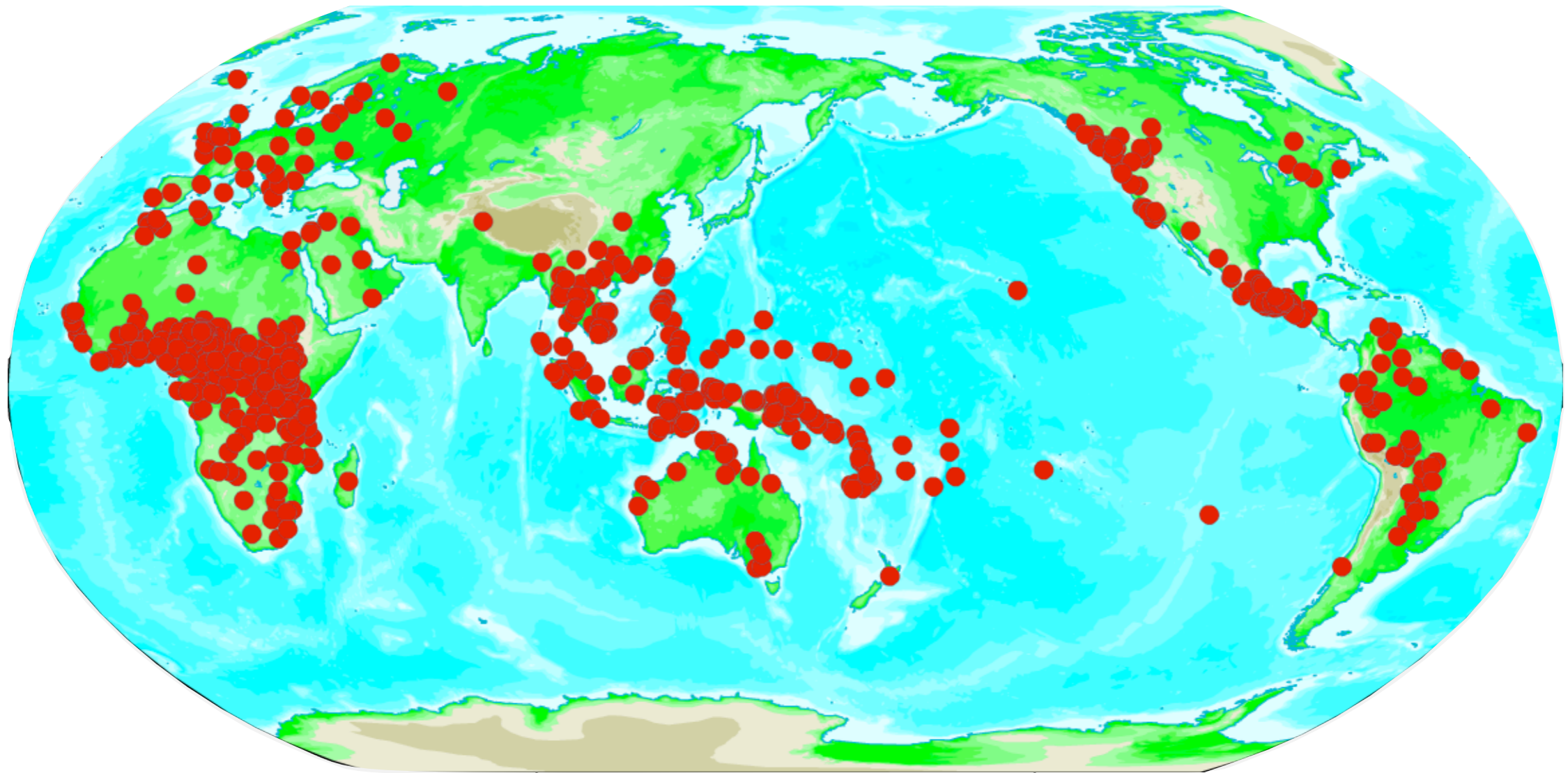
- Static Typology
  - ▶ investigate **attested frequencies** of language **types**
- Dynamic Typology
  - ▶ **estimate probability** of **change** of a language type

# Will the real OV-frequency please stand up ?



Dryer, Matthew S. (2005) Order of object and verb. In: Haspelmath et al.  
*World Atlas of Language Structures*. Oxford: Oxford University Press.

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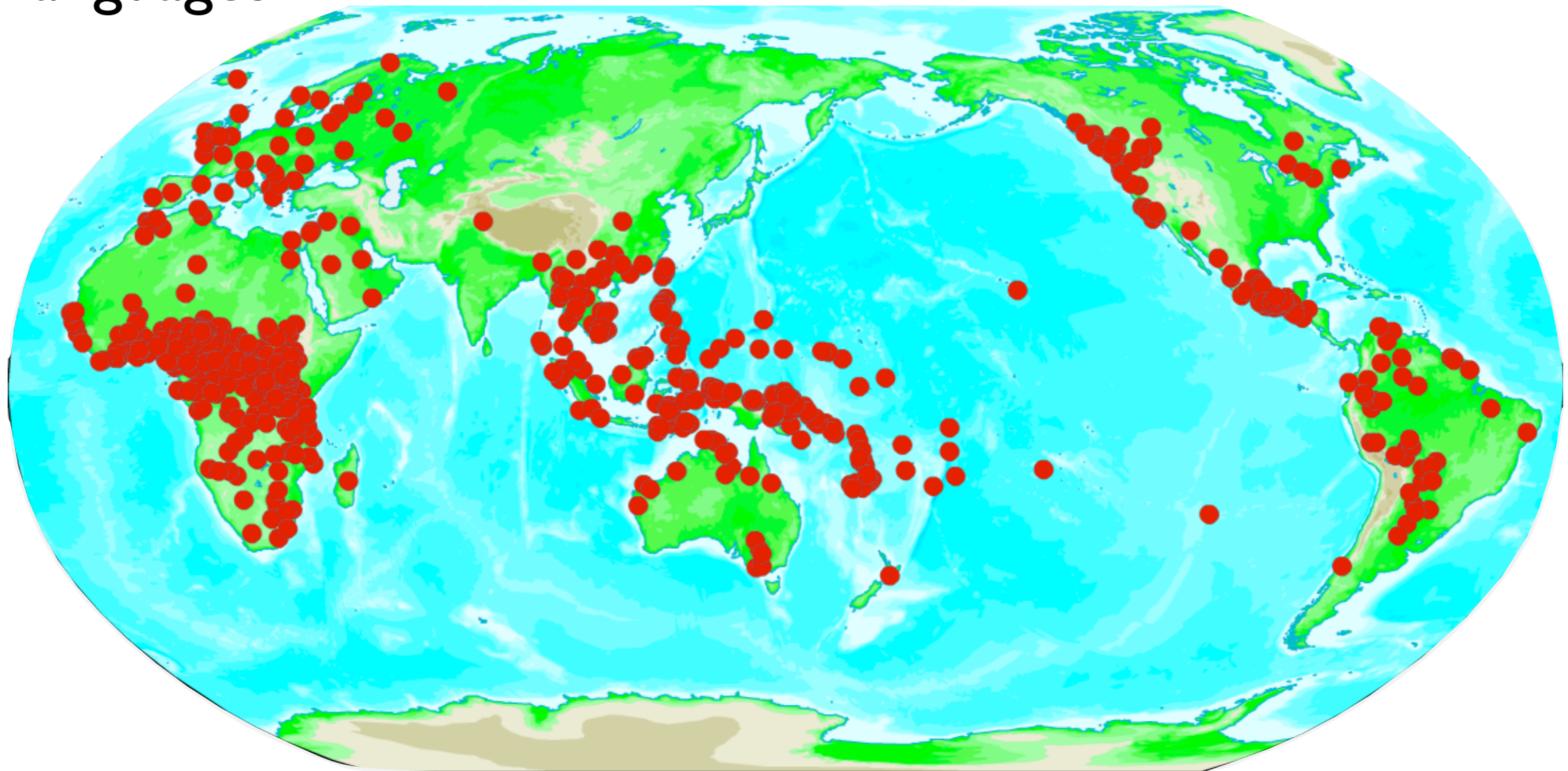


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# Will the real OV-frequency please stand up ?

639 languages

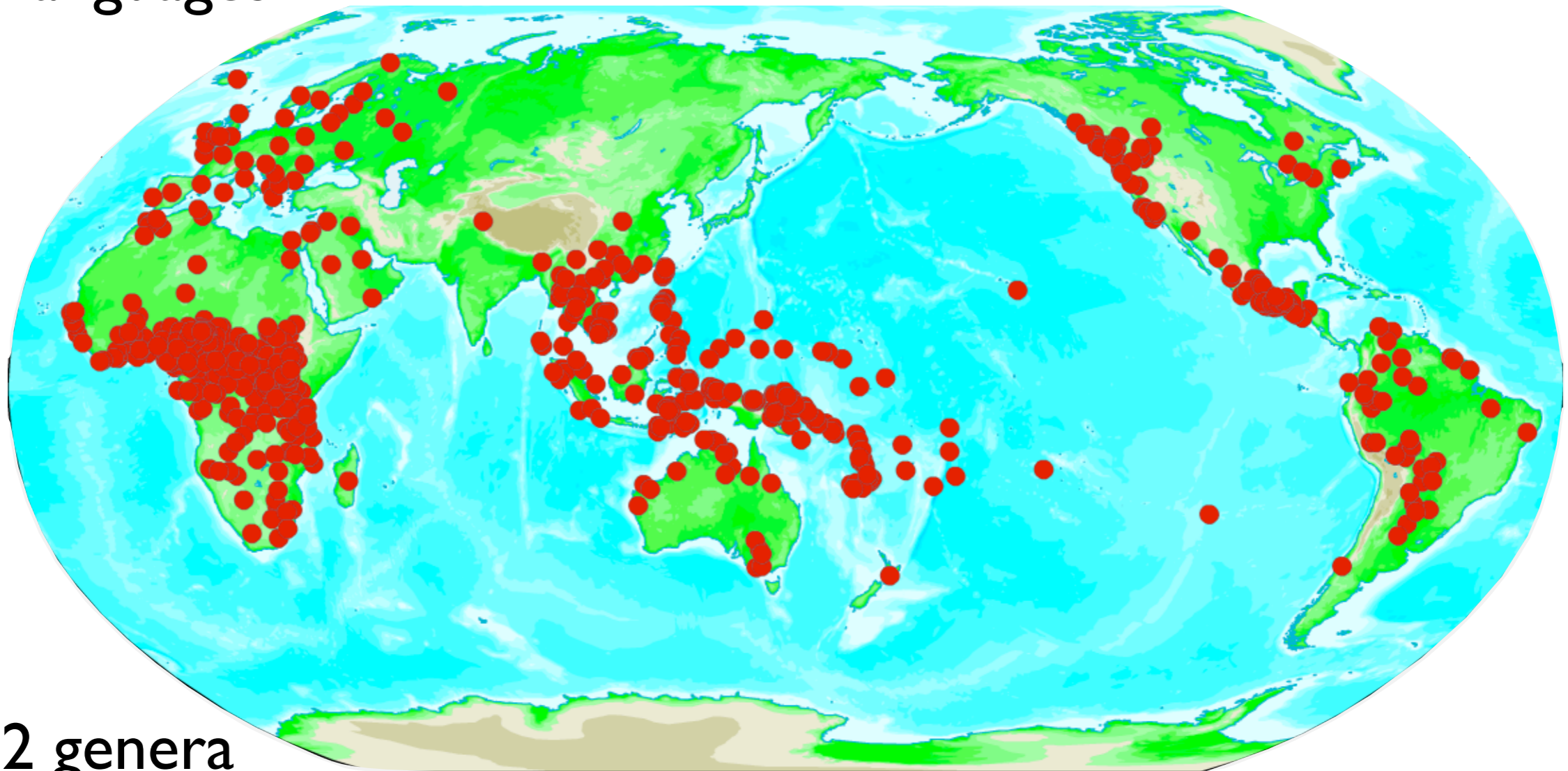


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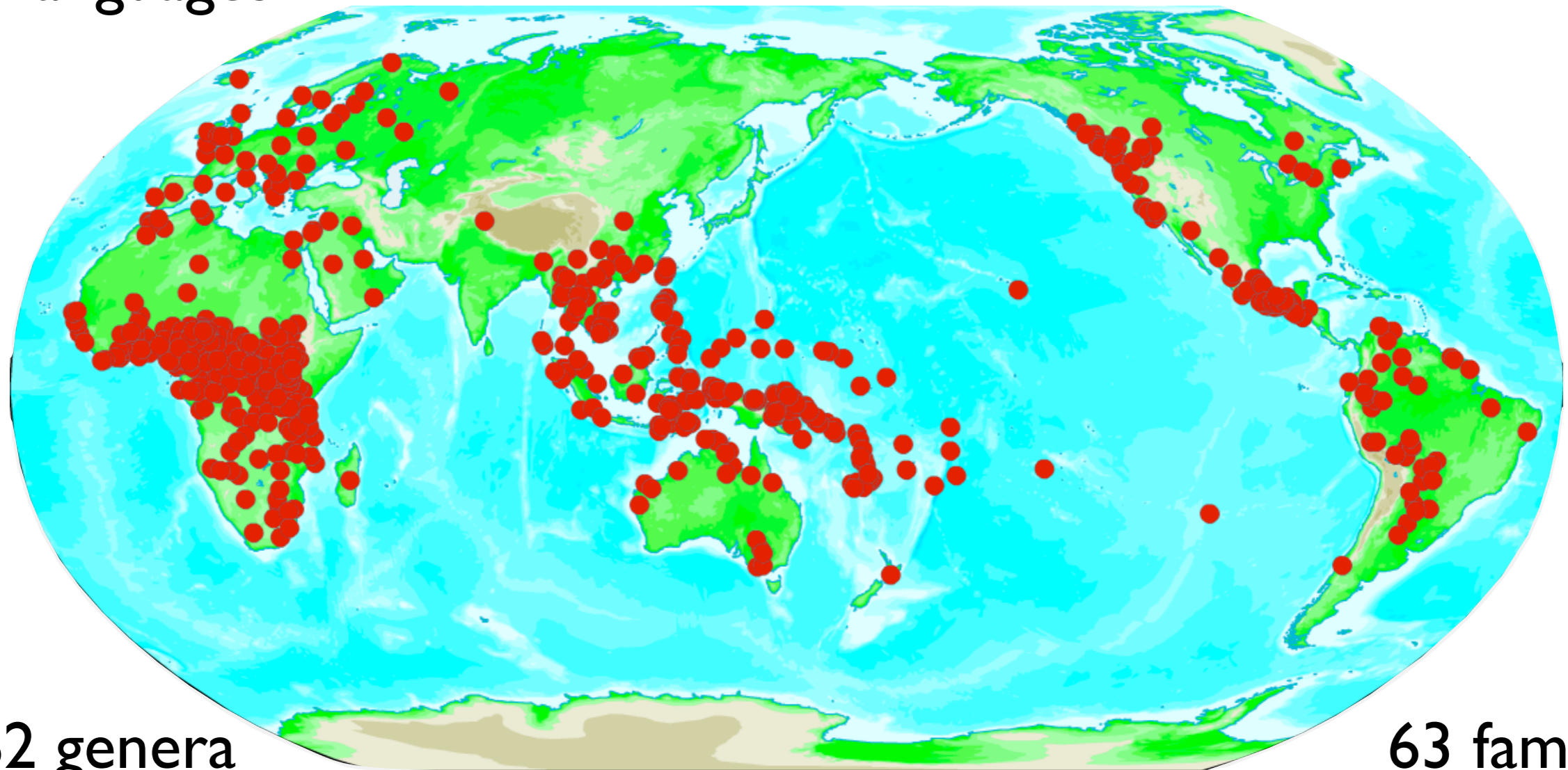


162 genera

Dryer, Matthew S. (2005) Order of object and verb. In: Haspelmath et al.  
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# Will the real OV-frequency please stand up ?

639 languages



162 genera

63 families

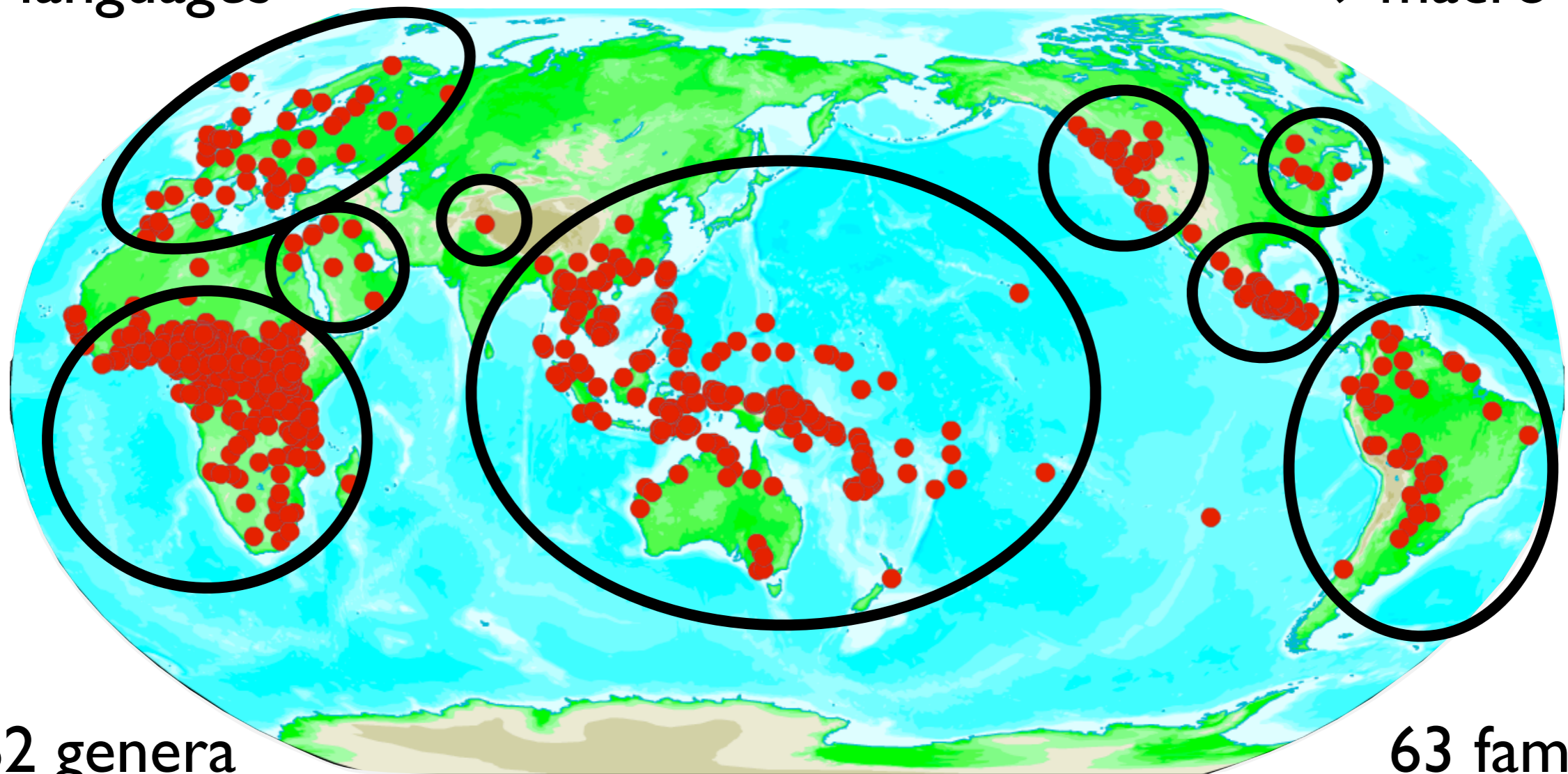
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9 macro-areas



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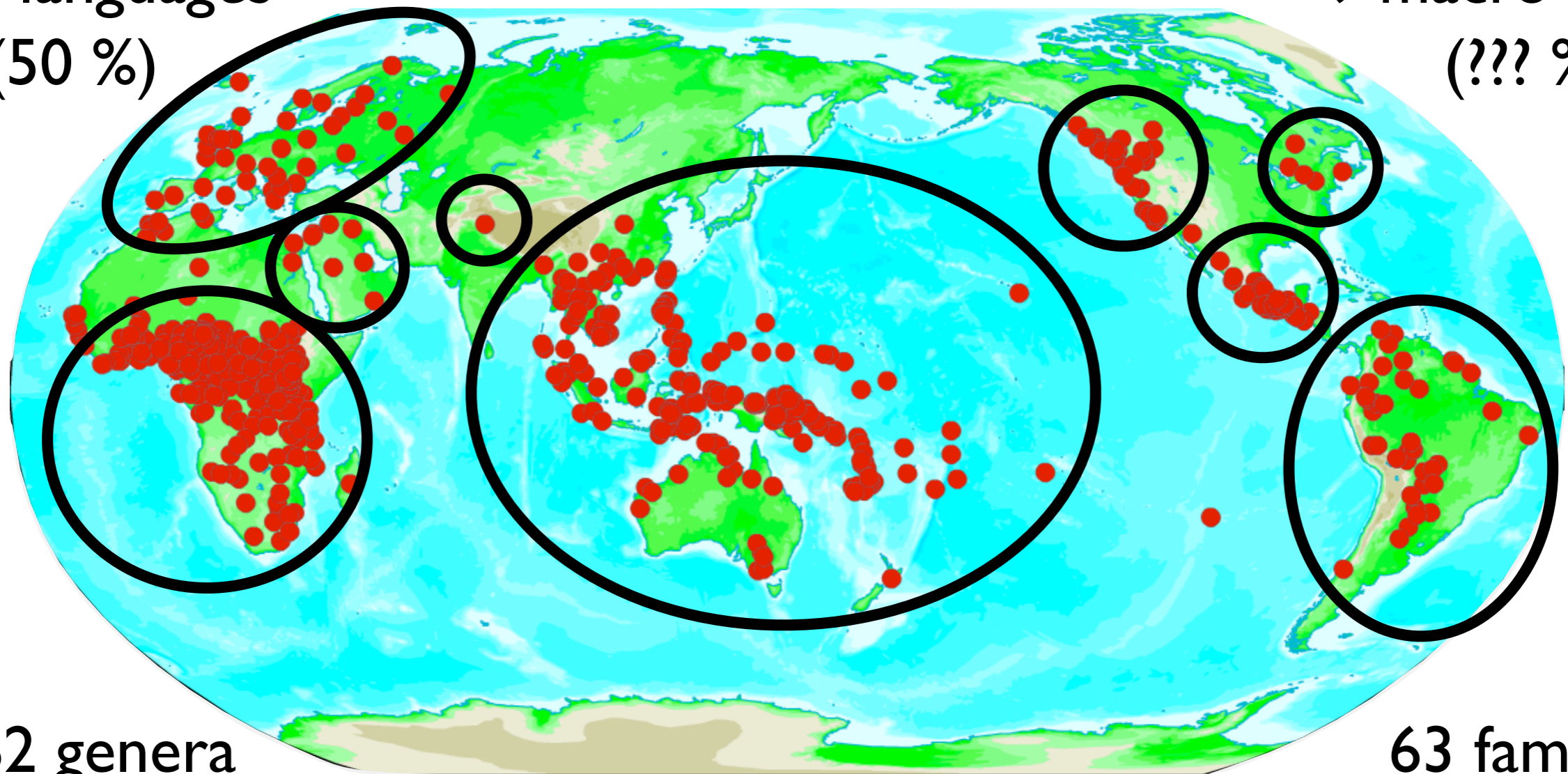
63 families

Dryer, Matthew S. (2005) Order of object and verb. In: Haspelmath et al.  
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# Will the real OV-frequency please stand up ?

639 languages  
(50 %)

9 macro-areas  
(??? %)



162 genera  
(41 %)

63 families  
(34 %)

Dryer, Matthew S. (2005) Order of object and verb. In: Haspelmath et al.  
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# Transition Probabilities

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  - ▶ e.g. probability of 10 % in 1000 years

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  - ▶ the real (empirical) question is whether the **deviations are limited**

Replace “attested frequency” with  
“frequency in stable distribution”

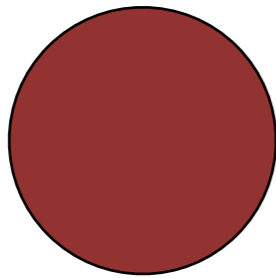
Replace “attested frequency” with  
“frequency in stable distribution”

Type A

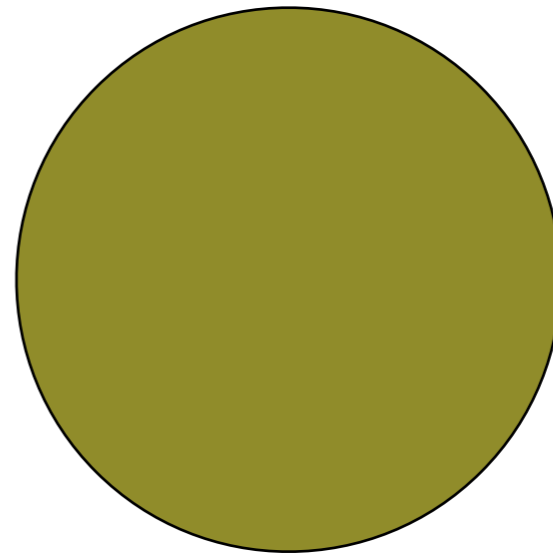
Type B

Replace “attested frequency” with  
“frequency in stable distribution”

Type A



Type B

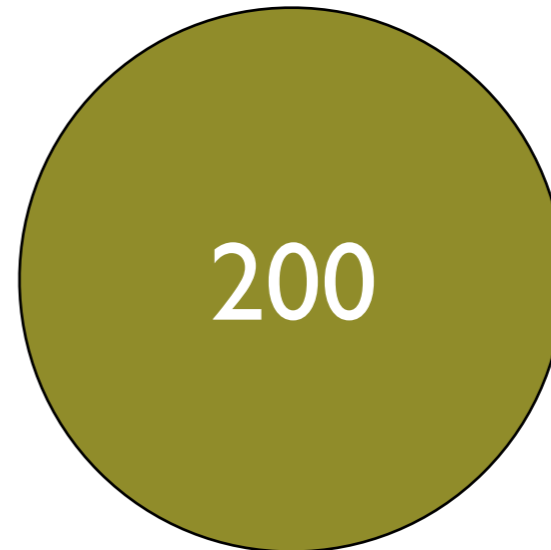


Replace “attested frequency” with  
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Type A



Type B

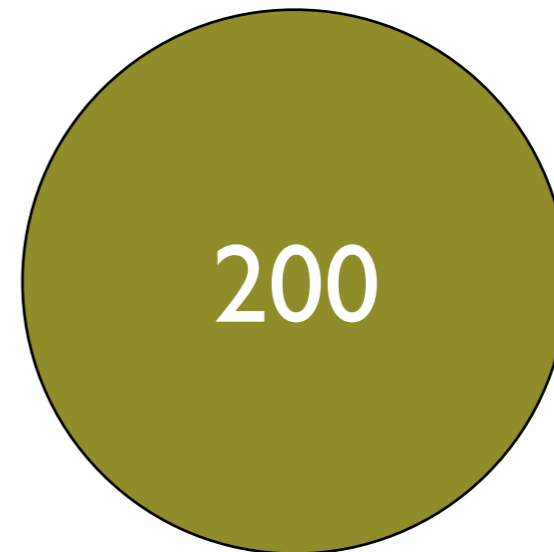


Replace “attested frequency” with  
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Type A



Type B



probability of  
change: 5%



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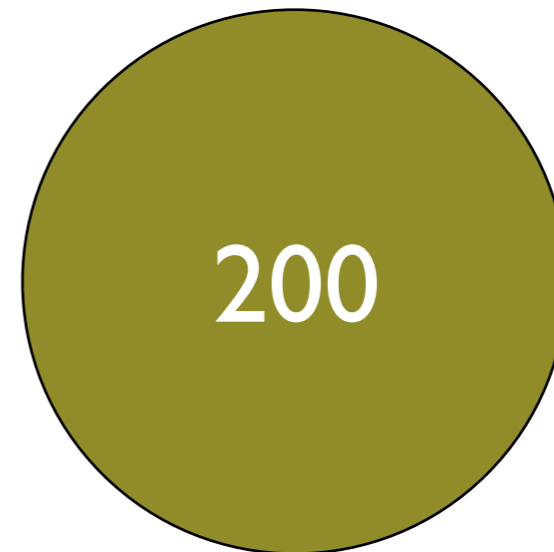
Type A



probability of  
change: 20%



Type B

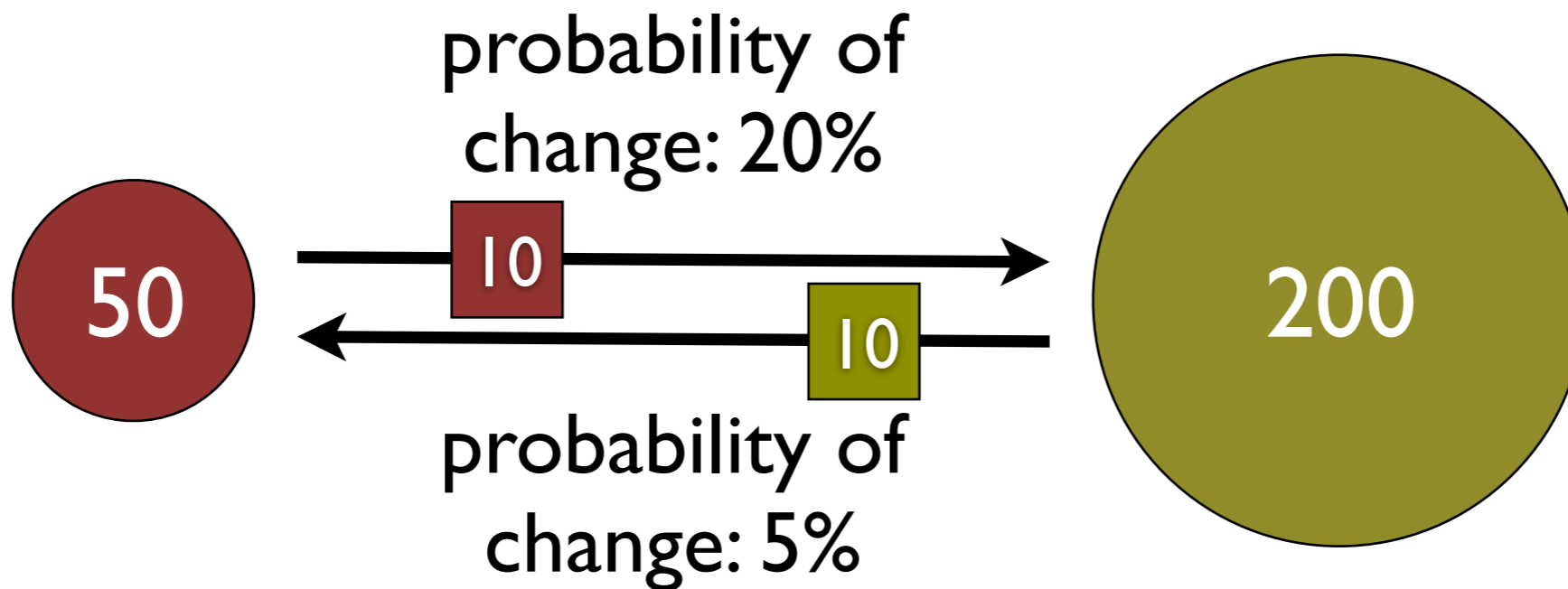


probability of  
change: 5%

Replace “attested frequency” with  
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Type A

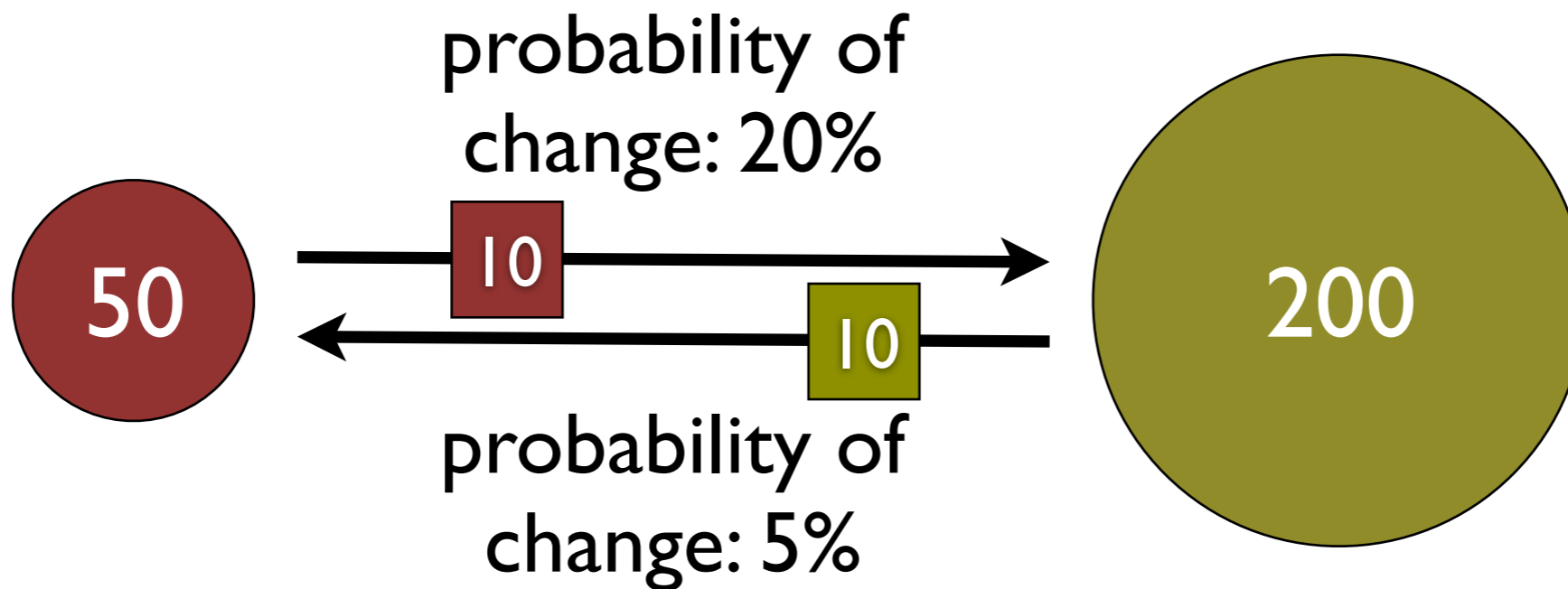
Type B



Replace “attested frequency” with  
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Type A

Type B

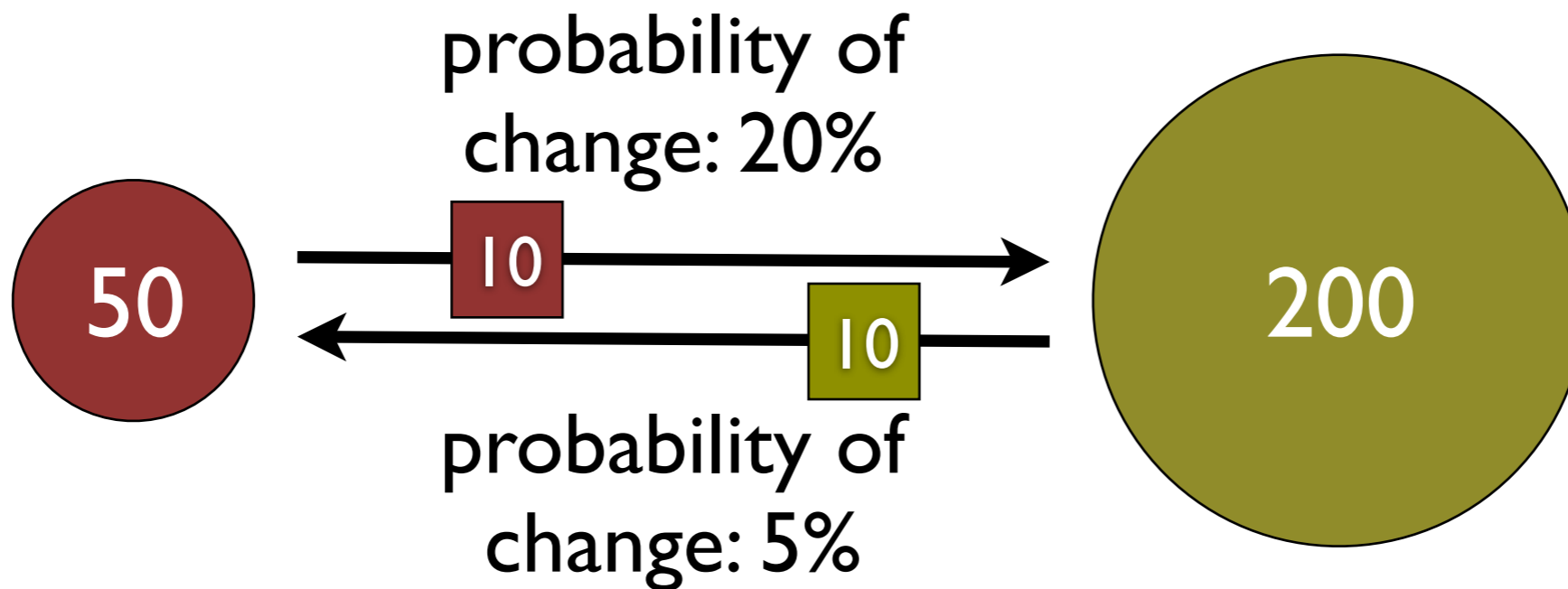


Stable distribution

Replace “attested frequency” with  
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Type A

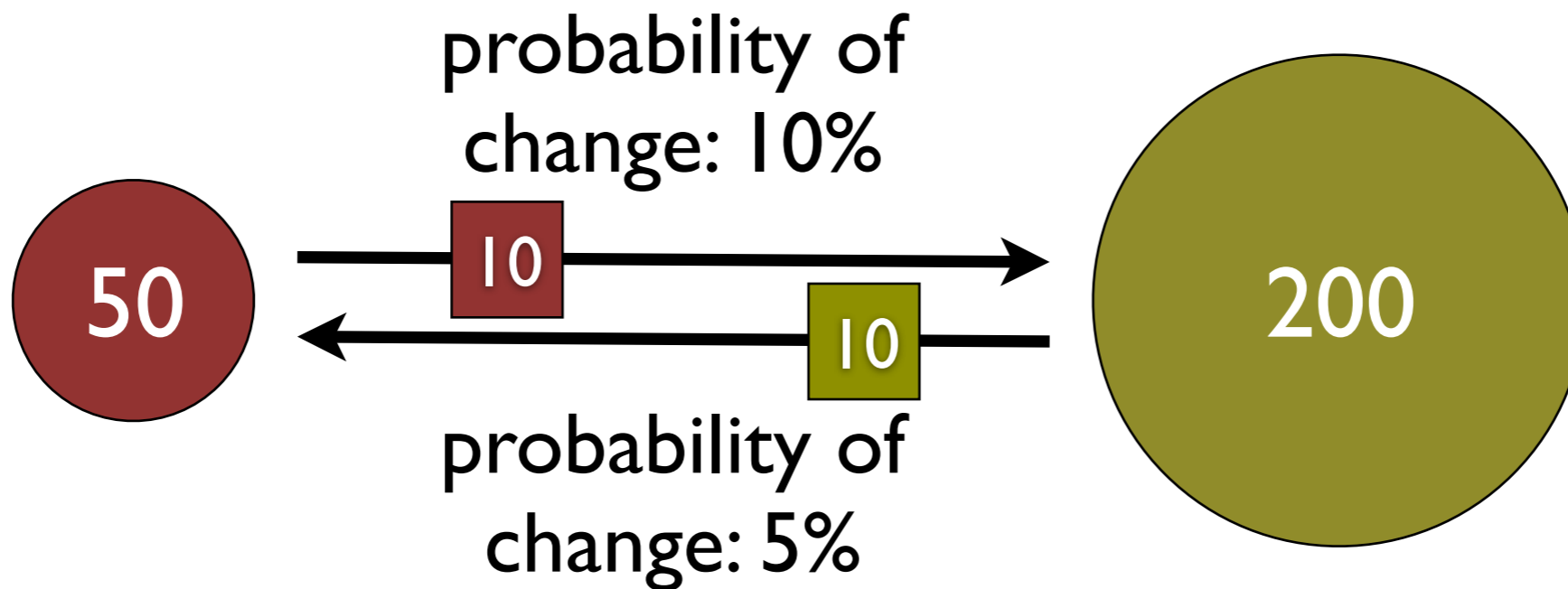
Type B



Replace “attested frequency” with  
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Type A

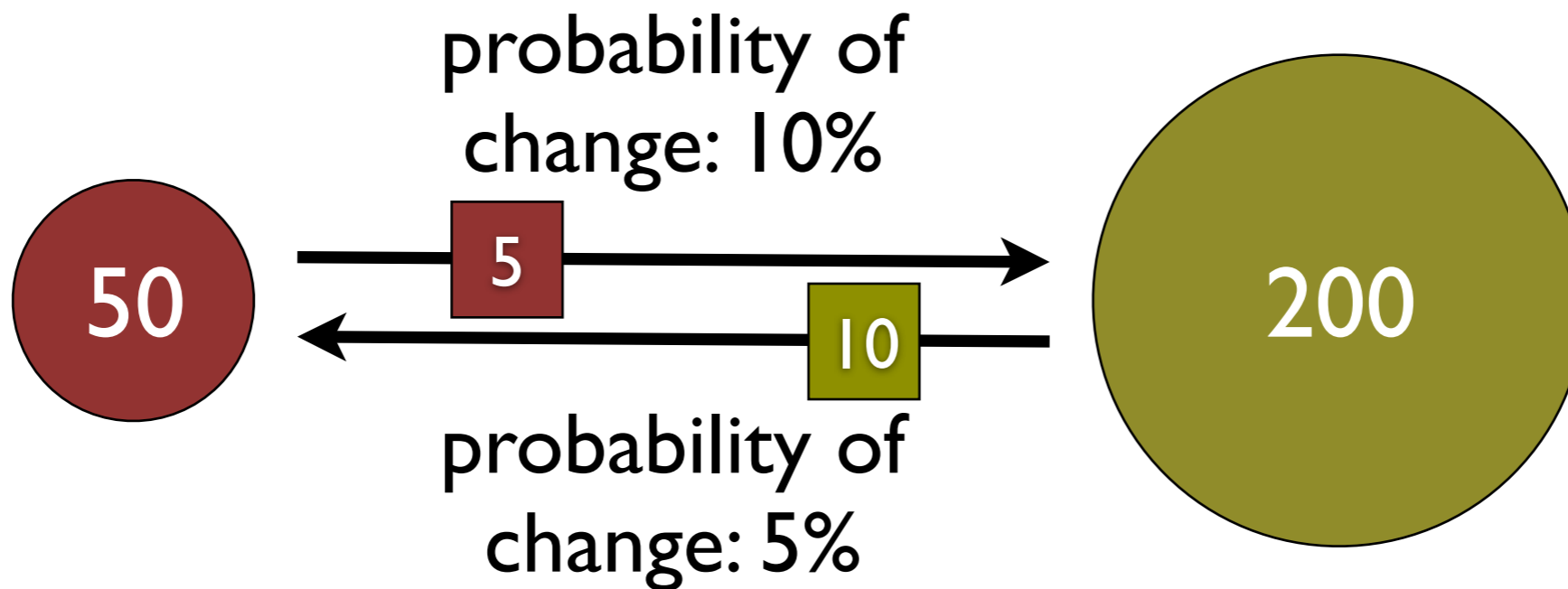
Type B



Replace “attested frequency” with  
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Type A

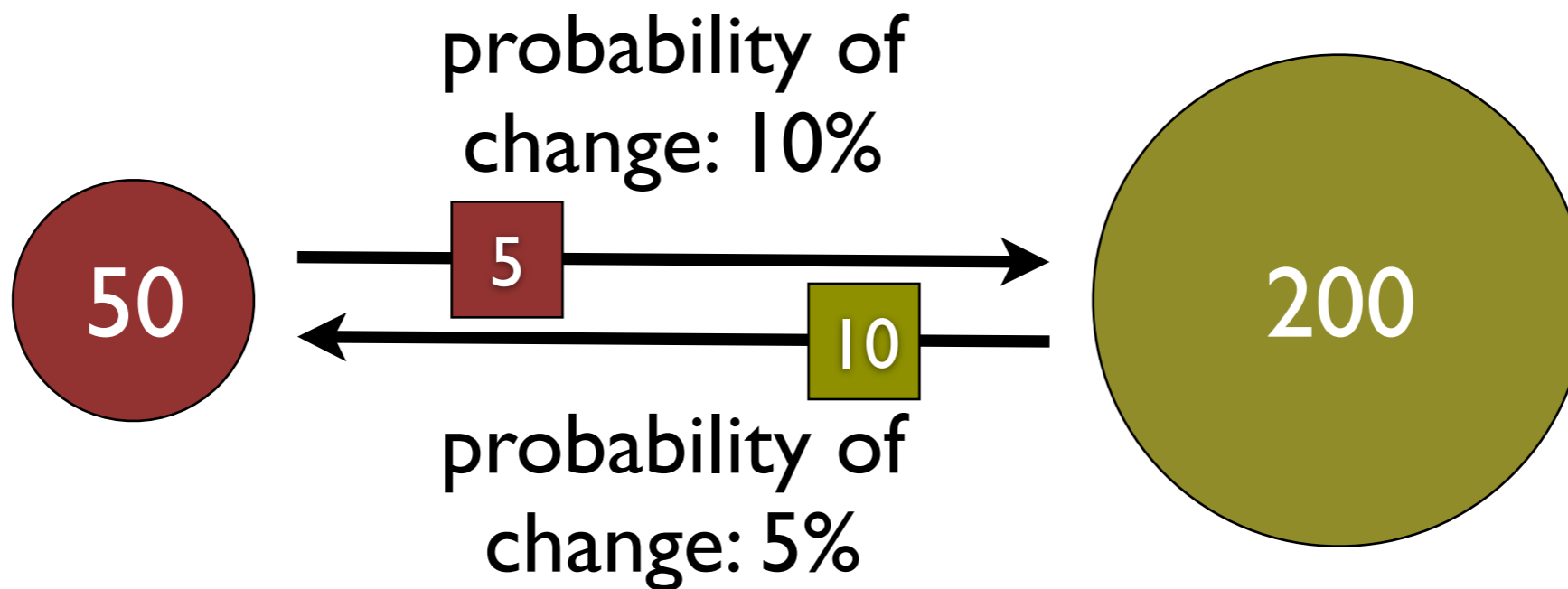
Type B



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Type A

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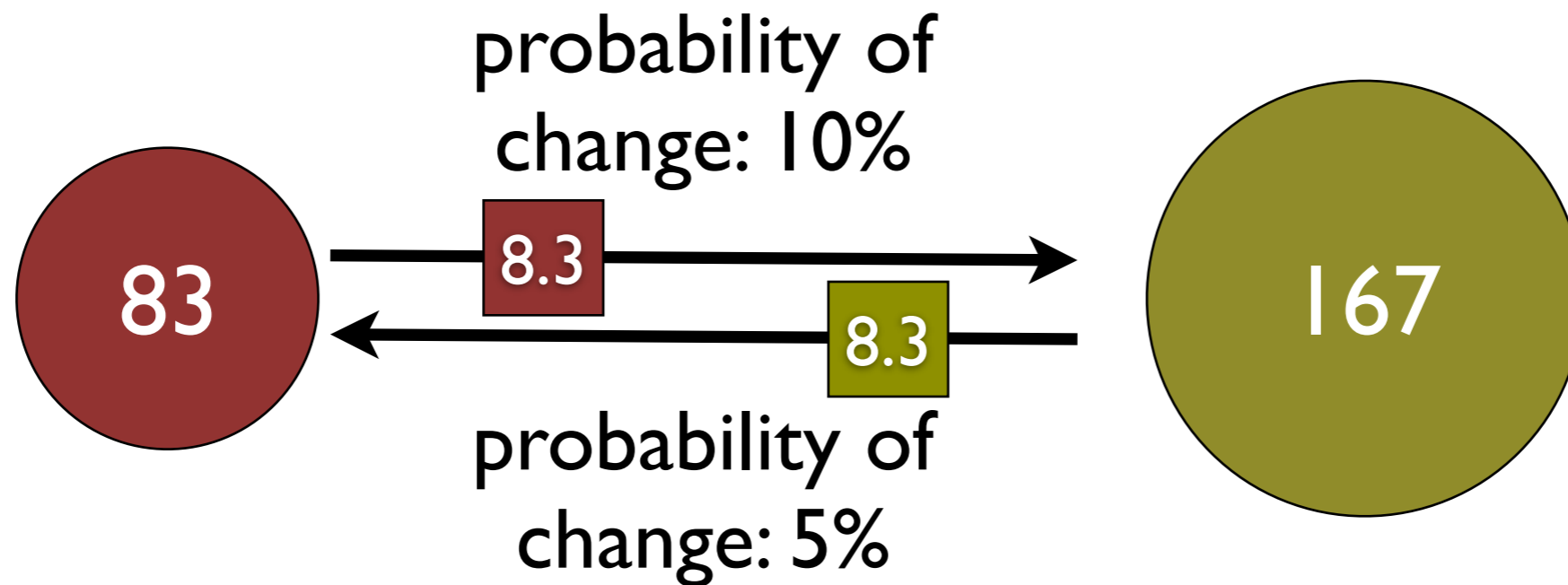


Instable distribution

Replace “attested frequency” with  
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Type A

Type B

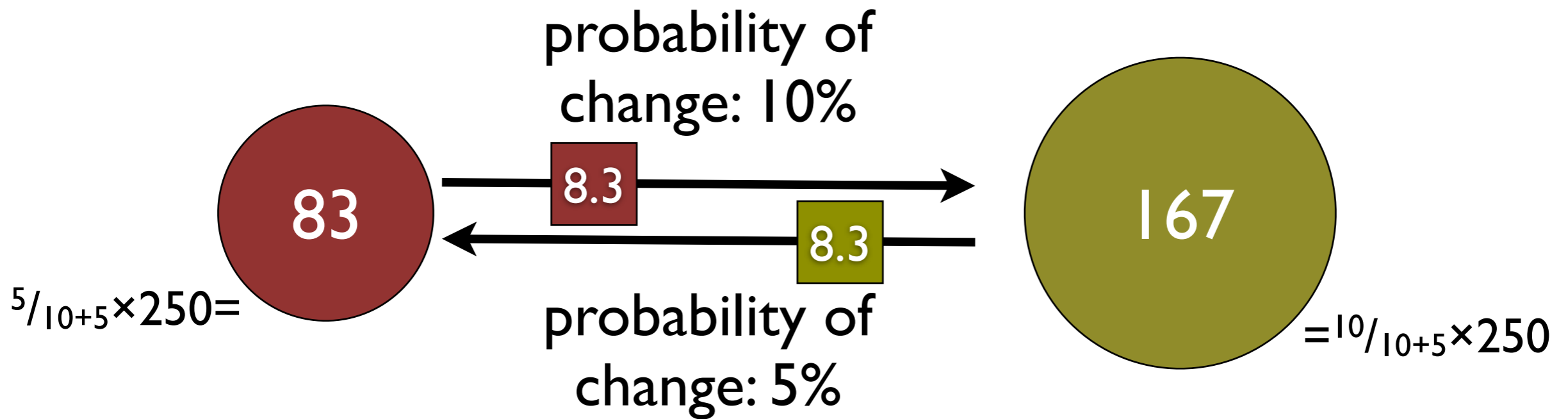




Replace “attested frequency” with  
“frequency in stable distribution”

Type A

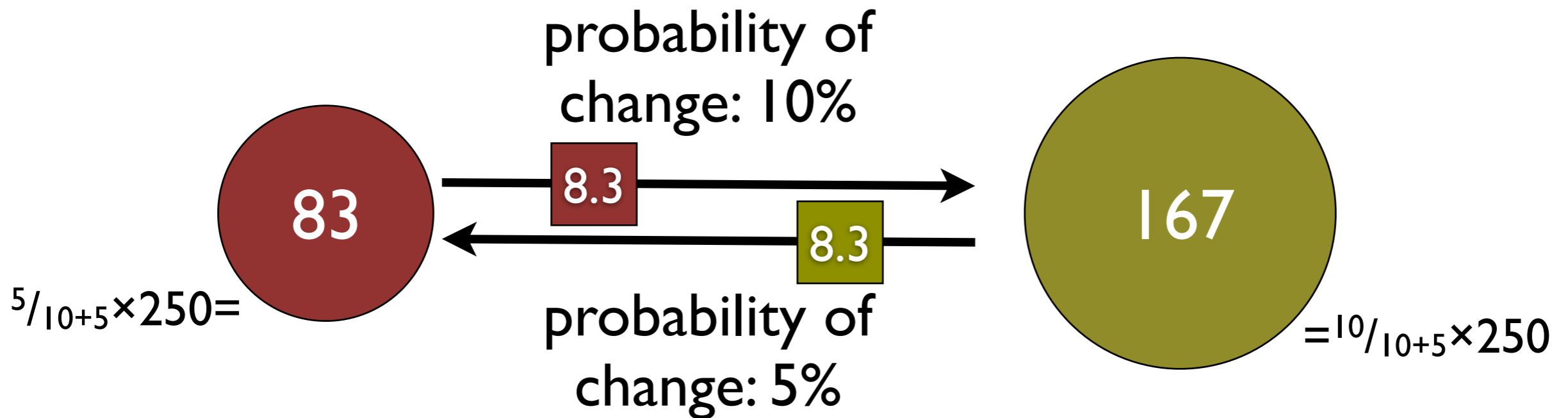
Type B



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Type A

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Expected stable distribution

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  - ▶ without assuming or inferring a tree:  
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  - ▶ either **genealogically** close  
or **geographically** close

# Maslova's approach



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- Two types (binary feature, A or B)
- Many pairs of closely related languages
- No assumption about proto-stage of a pair (could be either A or B)
- Eight possibilities for the development  
( $A \rightarrow A+A$ ,  $A \rightarrow A+B$ ,  $A \rightarrow B+A$ ,  $A \rightarrow B+B$ ,  
 $B \rightarrow A+A$ ,  $B \rightarrow A+B$ ,  $B \rightarrow B+A$ ,  $B \rightarrow B+B$ )

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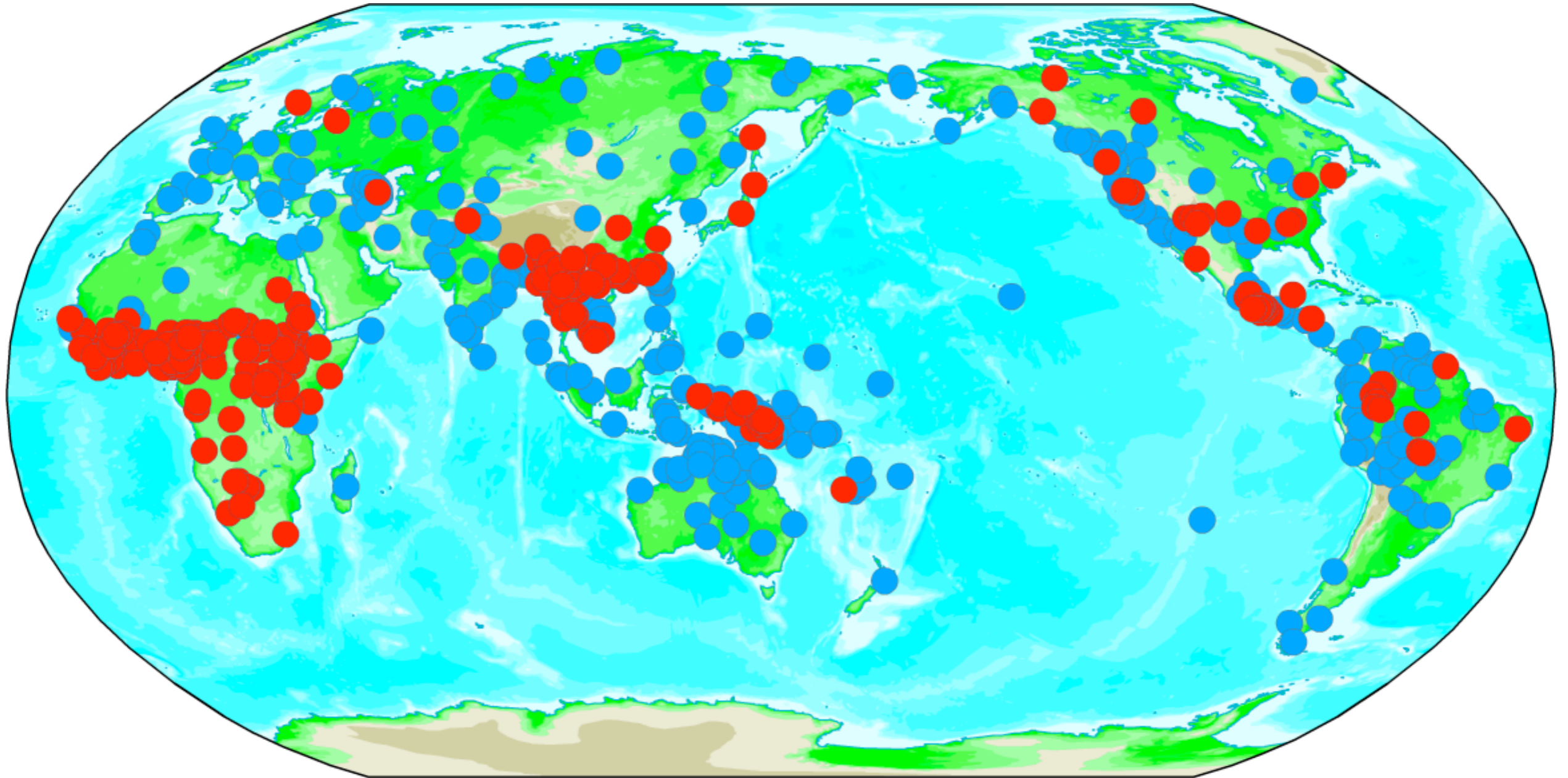
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$$F(D) = F(A) \cdot 2 \cdot (p_{AB} - p_{BA}) + 2 \cdot p_{BA}(1 - p_{AB})$$

# Tone vs. no tone

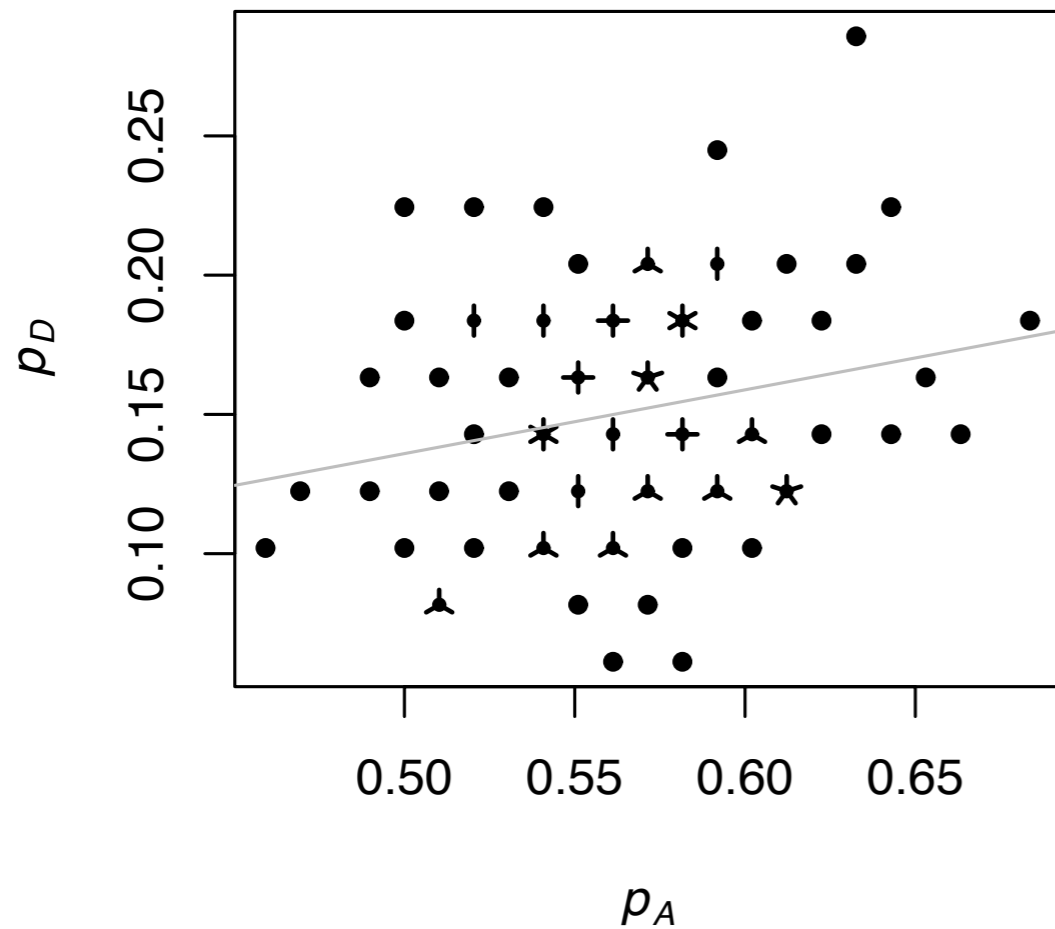
(tone in 41.8 % of languages)



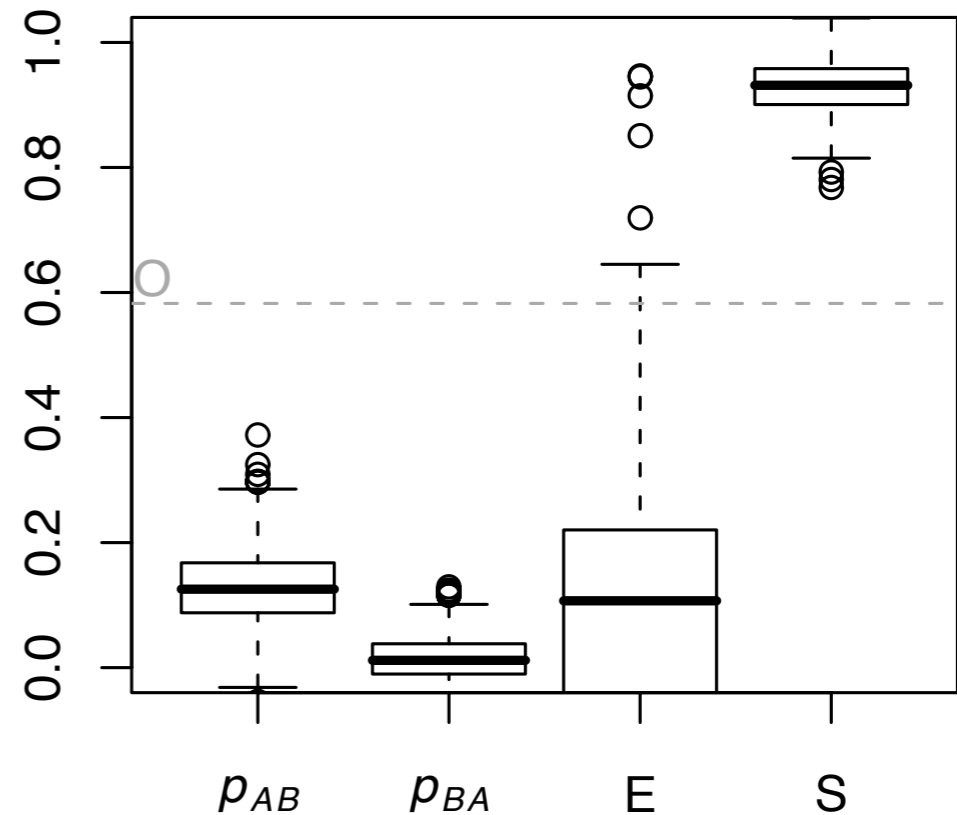
Maddieson, Ian (2005) Tone. In: Haspelmath et al.  
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# Tone vs. no tone

Scatterplot of  $p_A$  and  $p_D$



Boxplots



$$p_{\text{no.tone} \rightarrow \text{tone}} = ???$$

$$p_{\text{tone} \rightarrow \text{no.tone}} = 1 \%$$

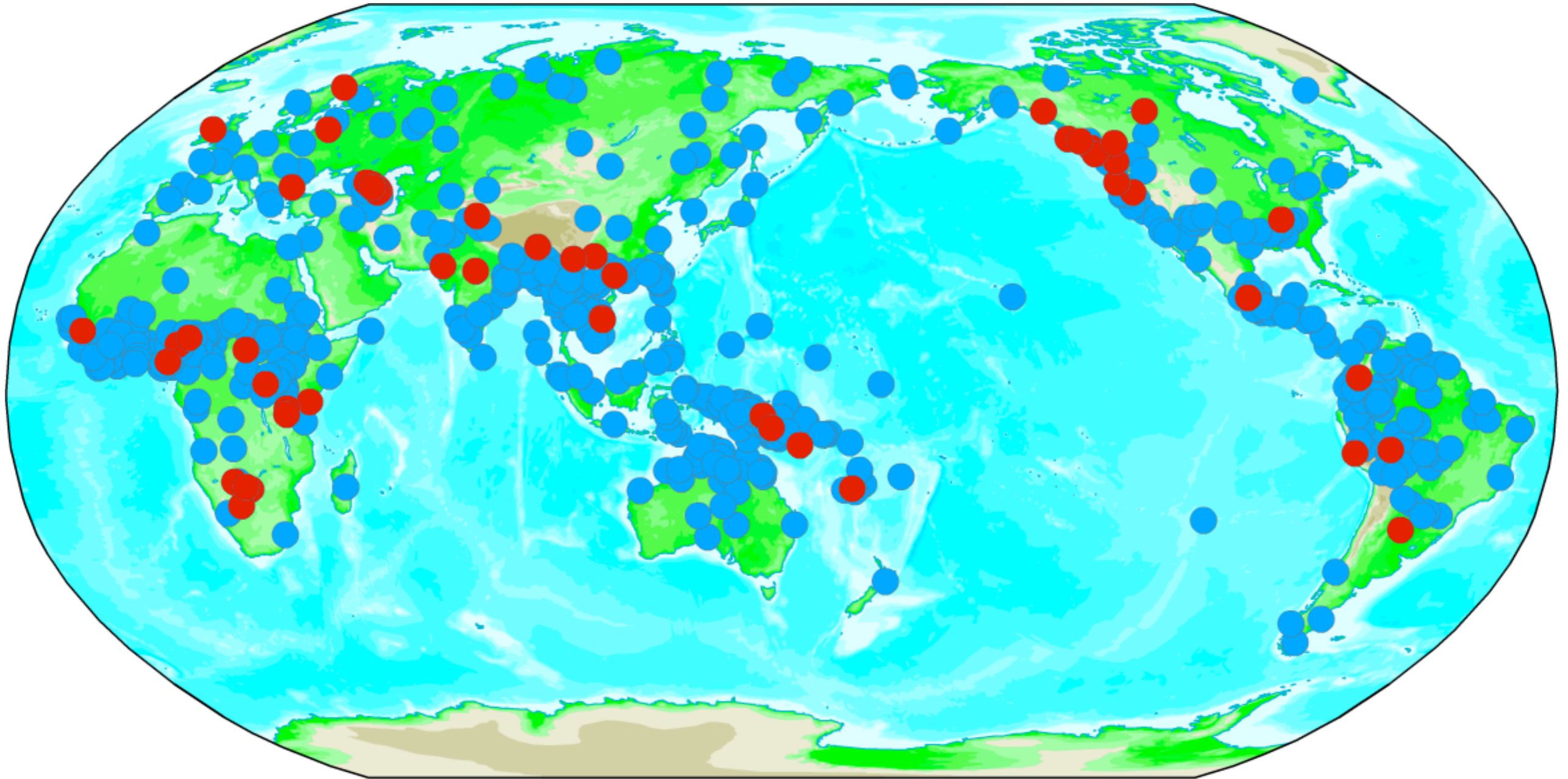
$$\text{Expected} = ???$$

$$\text{Stability} = 84 \%$$



# Large consonant inventory

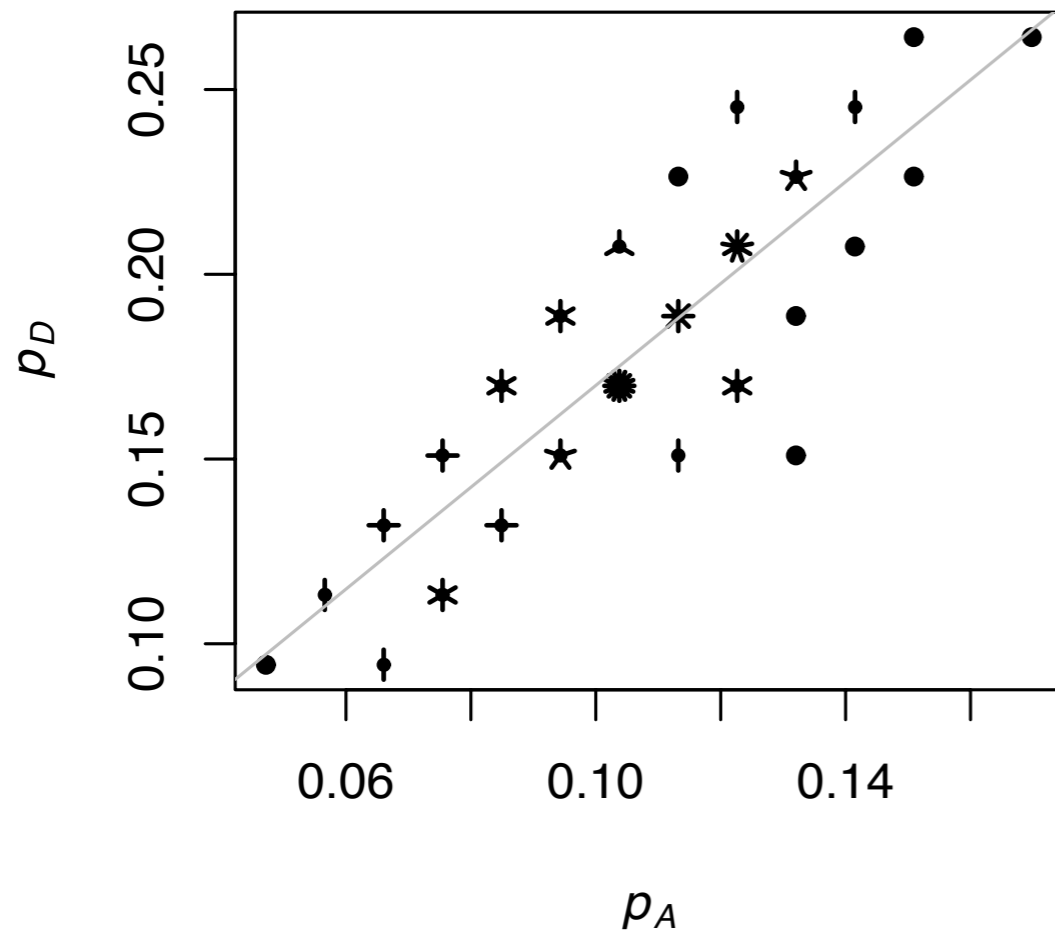
(9.4 % of languages)



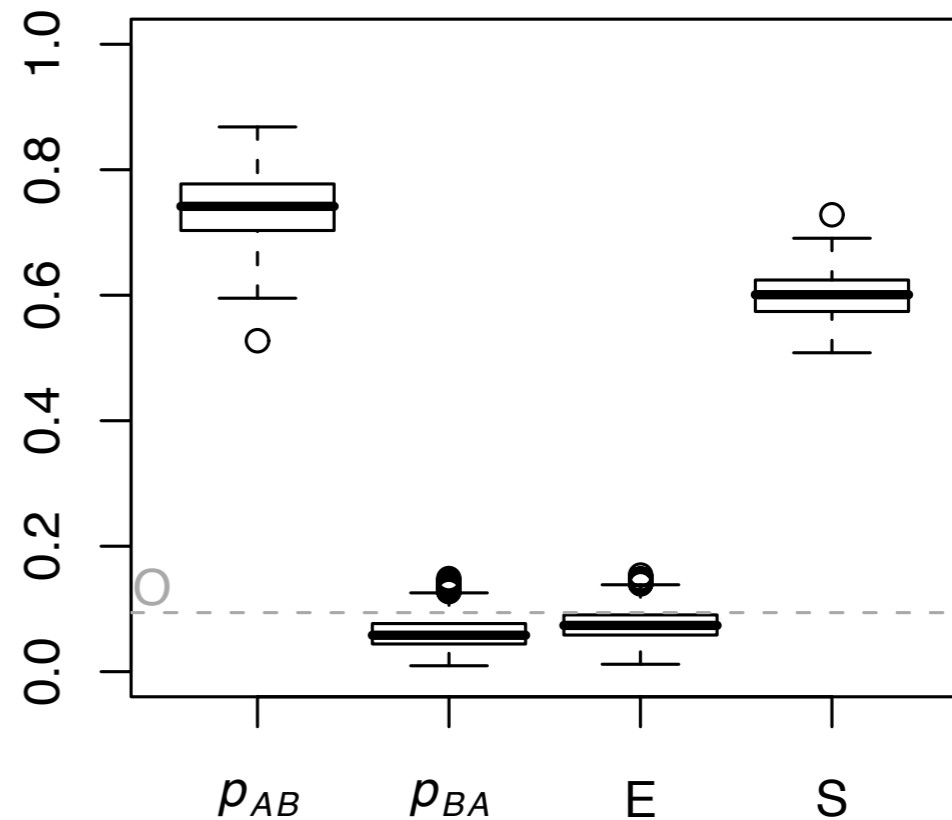
Maddieson, Ian (2005) Consonant inventories. In: Haspelmath et al. *World Atlas of Language Structures*. Oxford: Oxford University Press.

# Large consonant inventory

Scatterplot of  $p_A$  and  $p_D$



Boxplots



$p$  large  $\rightarrow$  non.large = 74 %

$p$  non.large  $\rightarrow$  large = 6 %

Expected = 8 %

Stability = 60 %



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- Needed is a different sampling strategy:
  - ▶ not one language per stratum
  - ▶ but many languages per stratum, to investigate internal diversity
- Ideally, much more quantitative information about internal variation of language families is needed