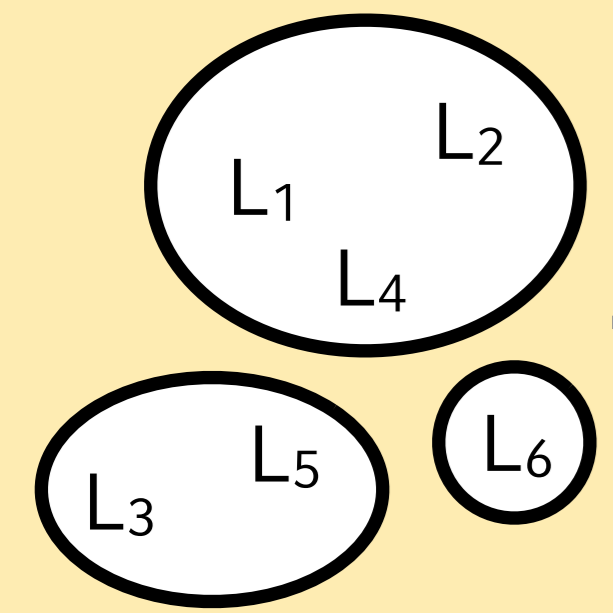


Typology without Types

Languages are different, so shouldn't every language be its own type? Instead of grouping languages into types, specify the (dis)similarity for every pair of languages

Traditional Typology
Grouping of languages into discrete types



Metricial Representation of Traditional Typology
0 = "same type", 1 = "different type"

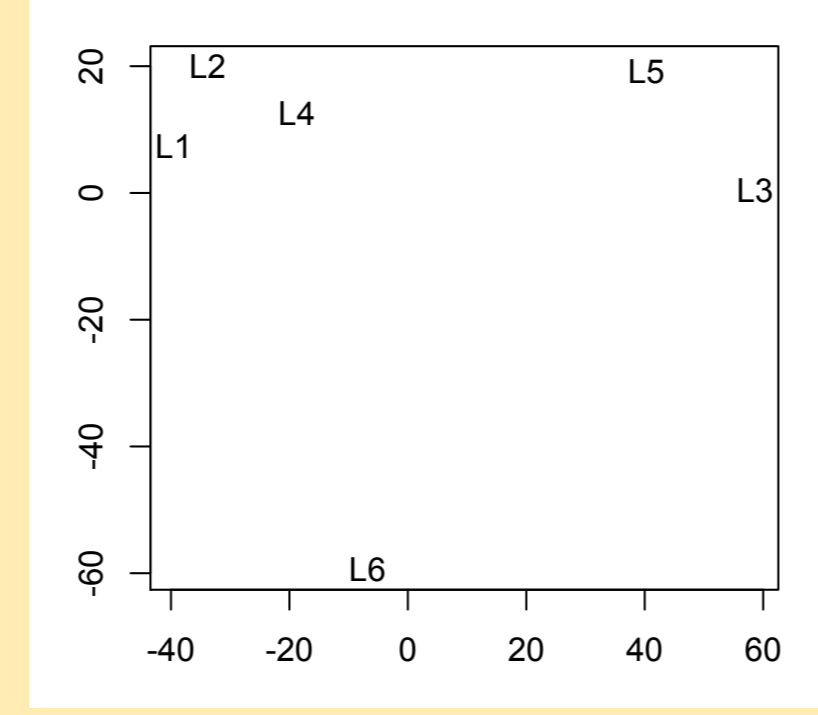
	L1	L2	L3	L4	L5	L6
L1	0	0	1	0	1	1
L2	0	0	1	0	1	1
L3	1	1	0	1	0	1
L4	0	0	1	0	1	1
L5	1	1	0	1	0	1
L6	1	1	1	1	1	0

vs.

Fully specified "Typology without Types"
Values represent pairwise dissimilarity

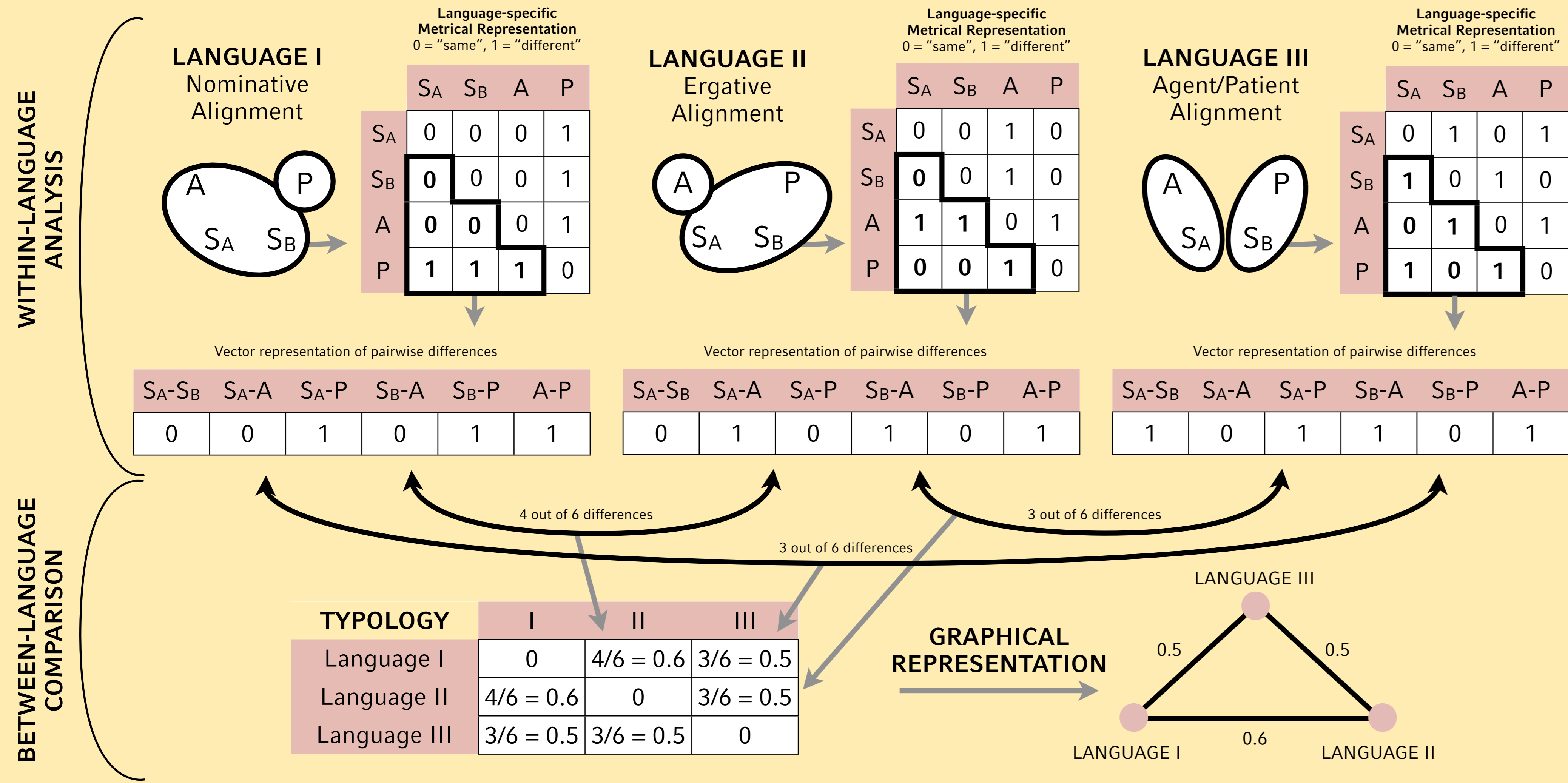
	L1	L2	L3	L4	L5	L6
L1	0	31	95	21	87	79
L2	31	0	98	10	67	83
L3	95	98	0	79	3	89
L4	21	10	79	0	50	71
L5	87	67	3	50	0	90
L6	79	83	89	71	90	0

Analysis of Structure, Inducing Types
e.g. Multidimensional Scaling



System Typology

Investigate the similarity between constructions within a language
There is no linguistic comparison necessary *between* languages, only *within* languages, which is much easier!
Comparison is purely mathematical. Many typologies can be rephrased in this way, for example alignment:

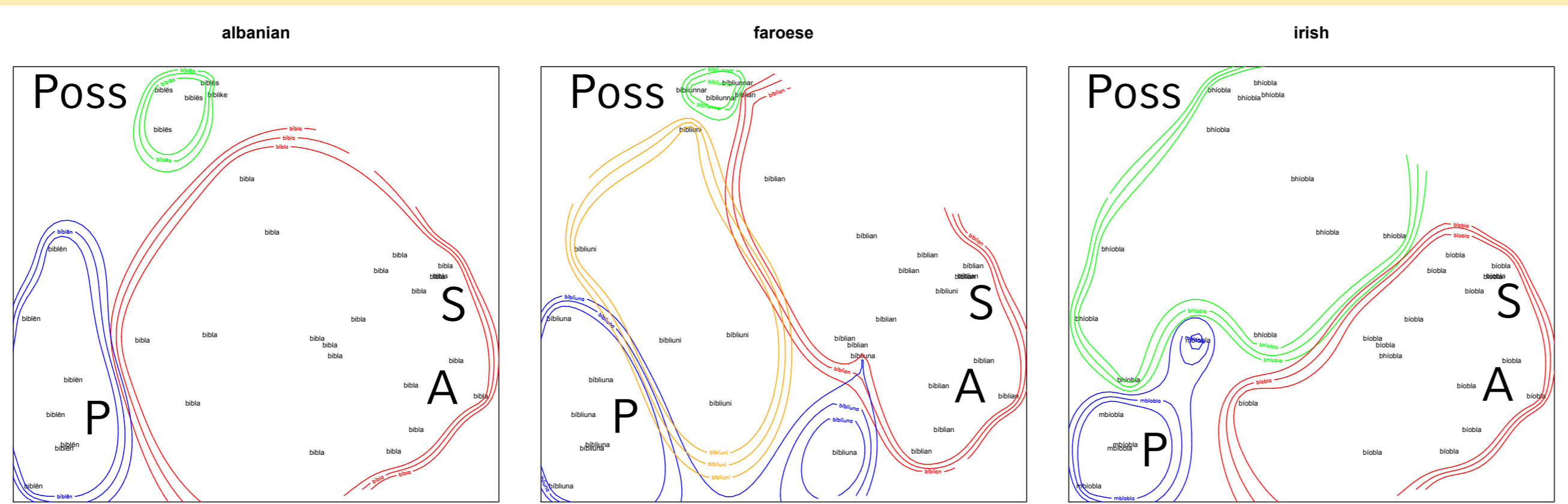


Expanding Typological Detail

With four primitives there are maximally B₄ = 15 possible languages, i.e. Bell's Number 4.

To get more detailed representations of the individual structure of each language one can:

- add more primitives, e.g. specific verb classes (cf. Figure to the right)
- use detailed language-specific similarities constructions in a language are not just identical (0) or different (1), but similar to a certain degree (cf. Numerals, next page)



Alignment as identified by overt case marking in 34 different constructional roles, showing detailed differences and similarities between three nominative languages. Typical S, A, and P roles are indicated. The roles at the top are typical possessors.

An example of system typology without types Quantitatively inducing a Numeral System Typology

Based on data collected by Eugene Chan

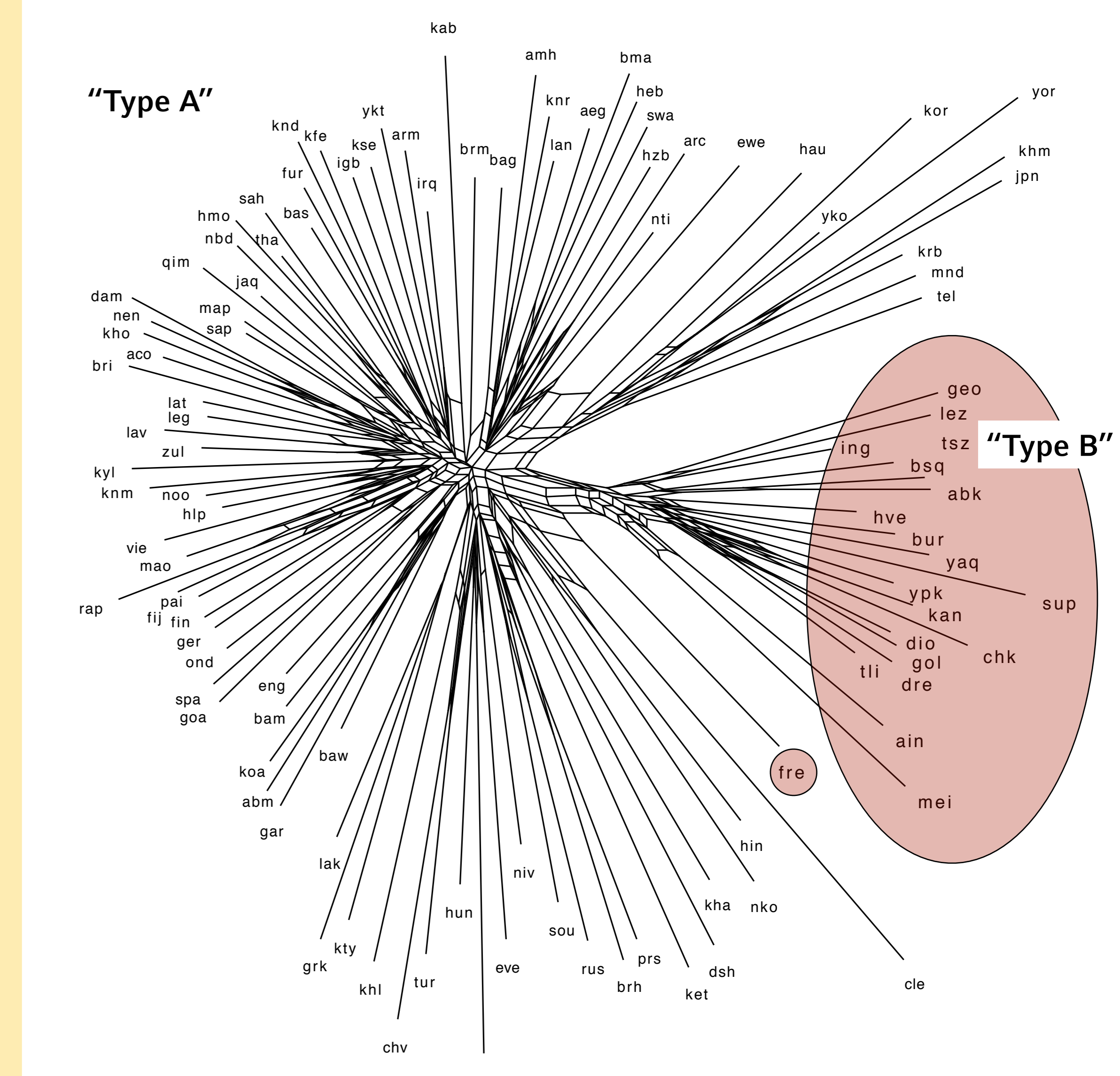
Data preparation with assistance by Steven Moran & Stefan Koch

Pairwise normalized Levenshtein distance between numerals

Language-specific metrical representation of French numeral system, using normalized Levenshtein distance between numerals

For every pair of languages, compute Pearson correlation between vector representation of these large matrices

The resulting distance matrix of languages is visualized using SplitsTree



Typology of numeral systems, visualized using a splits graph. There is a split into two groups, with French ("fre") being intermediate.

Interpretation of the Typology

What is the difference between Type A and B?

- Combine all languages in each group
- Compute the average language-specific metrical specification (i.e. the average of all large matrices as shown above for French)
- This results in an average distance matrix for all numerals for Type A, and one for Type B
- These averages are compared (shown right), showing that for most pairs there is no difference (middle band), but:

The pairs 3-30, 4-40, 5-50, etc. (blue groups) show stronger similarities in Type A, typical of DECIMAL SYSTEMS

The pairs 2-40, 3-60, 4-80, etc. (red groups) show stronger similarities in Type B, typical of VIGESIMAL SYSTEMS

Note that there are further subdivisions inside Type A, suggesting that not all decimal systems are equally structured (apparently, some are much more regular than others).

